

Hydraulic Cylinder Sizing

Project: _____ Part/Position: _____ Prepared by: _____

Sample document - numeric values are only included in the purchased Pro export.

Overall assessment: PASS - buckling check and compression check of the piston rod meet the requirements.

Inputs

Bore D	---	mm
Piston rod diameter d	---	mm
Operating pressure p (gauge)	---	bar
Efficiency eta	---	
Flow rate Q	---	l/min
Stroke s	---	mm
Mounting case (Euler case)	---	
Mounting dimension l ₀ (retracted)	---	mm
Piston rod material	---	
Required buckling safety S _{erf}	---	

Areas and forces

Piston area A ₁	---	mm ²
Annulus area A ₂	---	mm ²
Area ratio phi = A ₁ /A ₂	---	
Theoretical push force p·A ₁	---	N
Theoretical pull force p·A ₂	---	N
Push force extending F ₁ = p·A ₁ ·eta	---	N
Pull force retracting F ₂ = p·A ₂ ·eta	---	N

Motion, oil demand and power

Piston speed extending v ₁	---	m/s
Piston speed retracting v ₂	---	m/s
Stroke time extending t ₁	---	s
Stroke time retracting t ₂	---	s
Cycle time t ₁ + t ₂	---	s
Volume extend stroke V ₁	---	l
Volume retract stroke V ₂	---	l
Volume per cycle	---	l
Hydraulic power Q·p	---	kW
Required drive power Q·p/eta	---	kW

Piston rod verifications

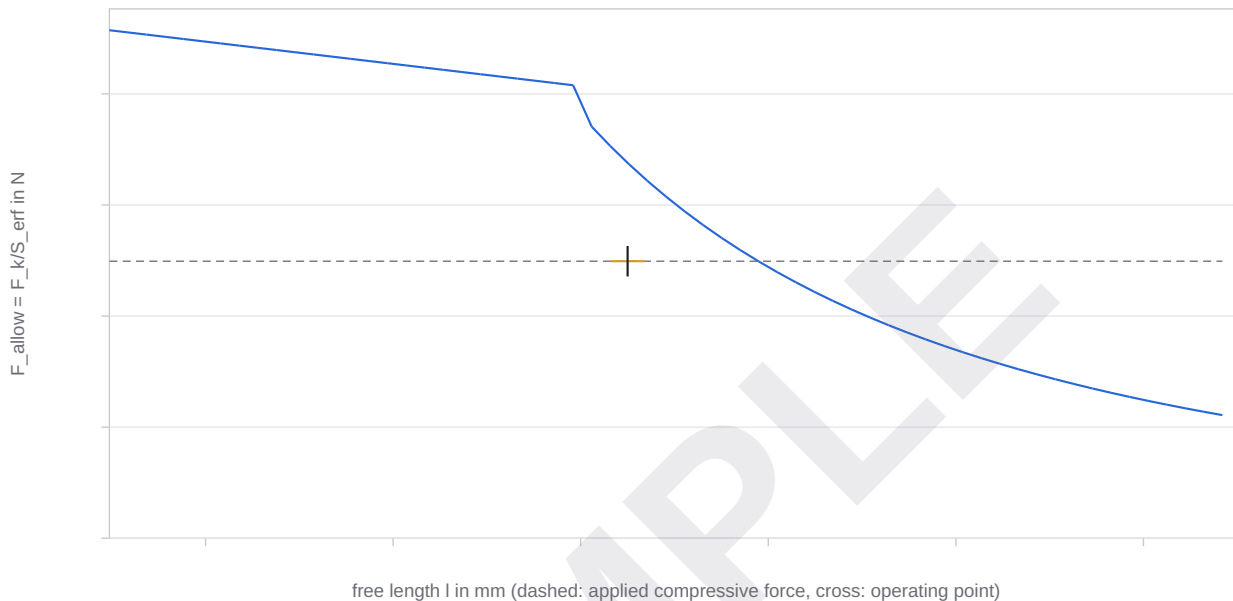
Criterion	Value	Limit	Status
Buckling safety $S = F_k/F_{th}$	---	---	● PASS
Compression check $S_d = R_e/\sigma_d$	---	---	● PASS

Buckling verification (Euler/Tetmajer)

Free length l = l ₀ + s	---	mm
Buckling length l _k = beta·l	---	mm
Rod cross-section A	---	mm ²
Second moment of area I = pi·d ⁴ /64	---	mm ⁴
Slenderness ratio lambda	---	
Governing range	---	

Buckling stress σ_k	--- N/mm ²
Buckling force $F_k = \sigma_k \cdot A$	--- N
Allowable force F_k/S_{erf}	--- N
Compressive stress $\sigma_d = F_{th}/A$	--- N/mm ²
Maximum free length at S_{erf}	--- mm
Maximum permissible stroke	--- mm

Allowable compressive force over the free length



Calculation basis

Forces and motion: when extending, the operating pressure acts on the piston area $A_1 = \pi/4 \cdot D^2$; when retracting only on the annulus area $A_2 = \pi/4 \cdot (D^2 - d^2)$. The effective piston force is $F = p \cdot A \cdot \eta$ (--- bar = --- N/mm²). The piston speed follows from $v = Q/A$, the stroke time from $t = s/v$ and the oil demand from $V = A \cdot s$. The hydraulic power is $P = Q \cdot p$ (with Q in l/min and p in bar: P in kW = $Q \cdot p/600$), the drive power P/η .

Buckling verification: the extended piston rod is conservatively treated as a straight, centrically loaded bar of rod diameter over the free length $l = l_0 + s$. The mounting case gives the buckling length $l_k = \beta \cdot l$ and, with the radius of gyration $i = d/4$, the slenderness ratio $\lambda = l_k/i$. Above the limit slenderness λ_g Euler applies ($\sigma_k = \pi^2 \cdot E/\lambda^2$), below it Tetmajer ($\sigma_k = a + b \cdot \lambda$); the stress is capped at the yield strength. The safety $S = F_k/F$ is checked against the theoretical compressive force without efficiency; fluid power practice requires --- to 5.

Validity: static analysis without acceleration, friction or back-pressure terms, without initial deflection of the rod and without guidance forces from the cylinder tube. The efficiency η covers cylinder and drive losses together.

Note: The results are design and orientation aids. They do not replace independent verification, calculation and approval by a qualified person. The terms of use at maschinenbaurechner.de apply.